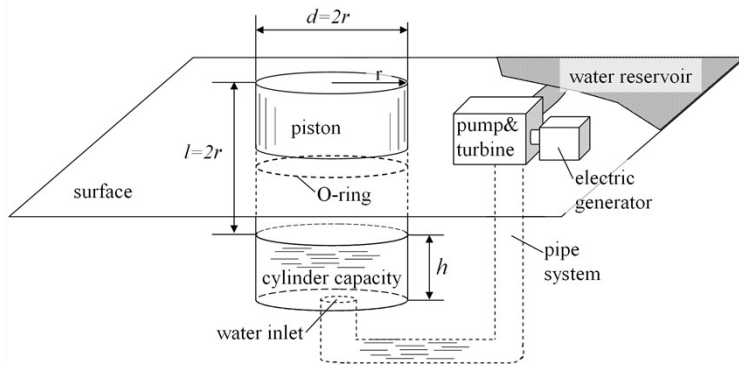


Hydraulic Hydro Storage 2000 GWh

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radius of the piston	r	62.5	125	250	500 m
pressure at O-ring	p	25	52	103	206 Bar
pressure at top of piston	p	20	39	78	157 Bar
hydraulic hydro storage capacity	E	0.5	8	124	1980 GWh

Energy capacity of a body

$$E = g \cdot \rho \cdot R \cdot V \cdot h. (1)$$

If the piston is a cylinder with a radius r and the height h where the height is of the same length as the diameter d of the cylinder, the volume can be calculated by

$$V = 2 \cdot \pi \cdot r^3. (2)$$

The piston can be lifted by only half the length l of the piston

$$r = l/2 (3)$$

due to the O-ring limitation, otherwise the O-ring would leave the outer cylinder. The potential energy E_r of the piston, using the density of rock ρ_R , is $E_r = 2 \cdot \pi \cdot g \cdot \rho_R \cdot r^4. (4)$

The energy E_{HHS} that could be stored in the Hydraulic Hydro Storage (HHS) plant is reduced by the potential energy loss E_W of the water with density ρ_W which is injected in the cylinder capacity from a surface reservoir like the ocean, a large lake or strong river,

$$E_W = -3/2 \cdot \pi \cdot g \cdot \rho_W \cdot r^4 (5)$$

resulting in the total energy capacity of

$$E_{HHS} = E_r - E_W = 2 \cdot \pi \cdot g \cdot \rho_R \cdot r^4 - 3/2 \cdot \pi \cdot g \cdot \rho_W \cdot r^4 (6)$$

equals to

$$E_{HHS} = (2 \cdot \rho_R - 3/2 \cdot \rho_W) \cdot \pi \cdot g \cdot r^4$$

- The capacity grows with the 4th power of the radius
- The cost grows with the 2nd power of the radius
- Result: arbitrary cheap storage systems feasible

Compare:	Conventional Pumped Hydro Storage*	New Hydraulic Hydro Storage*
Energy density	10 kWh/m ²	2 000 kWh/m ²
Water demand	1000 l/kWh	250 l/kWh
Flooded area	1000 m ² /MWh	0 m ² /MWh
Cost	70 €/kWh	< 7 €/kWh
*system design:	400m pond height, similar to Atdorf, Germany	radius 500m lower source is a river or existing lake

Interesting sites:

